

Today, we will:

- Finish our discussion of **evaporation rates** in **Sections 4.5.6** and **4.5.7**
- Discuss **evaporation in confined spaces** in **Section 4.5.8**
- Begin discussion of **general ventilation** in **Section 5.1**
- Discuss **thermodynamics of evaporation** in **Section 5.2**
- Do **Candy Questions** for **Candy Friday**

Sec. 4.5.8 Evap. in confined spaces

e.g. tank or container that is enclosed or confined



Suppose it is sitting here a long time

What is  $P_j$  in the tank? (in the air in the tank)

• If  $x_j = 1$  (pure liquid)  $\rightarrow$   $\boxed{P_j = P_{v,j}}$  (saturated)

• If  $x_j < 1 \rightarrow$  Use:

• Henry's law for very small  $x_j$   
 • Raoult's law for very large  $x_j$  ( $x_j \sim 1$ )  
 • Use tables or graphs if in between  
 (Equilibrium Isotherms)  
 Can calculate  $P_j$

★ Entering a closed container can be very dangerous!!

Skim rest of Ch. 4

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## ★ CHAPTER 5 - General ventilation ★

- ★ - General → whole rooms or buildings (Ch. 5)
- Local → deal with hoods (Ch. 6)

Two main types:

★ Dilution ventilation (most popular in the US)

• Displacement ventilation (more popular in Europe)

→ Mix the air up as much as possible (assume room air is "well mixed")

→ use natural convection as an aid to remove contaminants  
Do not assume well-mixed air

See PDF file on website for more details

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Sec. 5.2

Thermodynamics of Unventilated enclosures

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This is material from end of Ch. 4 + Sec. 5.2

Let's look @ T-s diagrams from thermodynamics

★ { When dealing with a gas mixture, the same T-s diagram is still valid, but use  $P_j$  (partial pressure) instead of total pressure

CATEGORY 1:

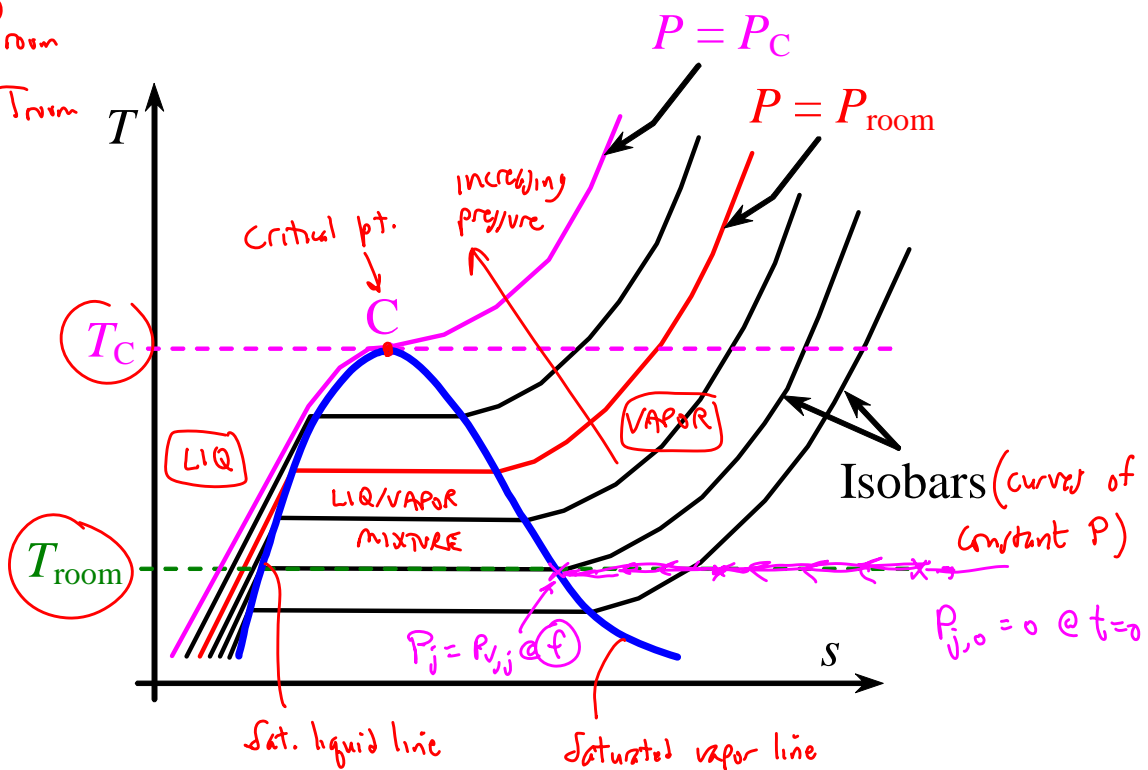
$$P_c > P_{\text{room}} \quad \& \quad T_c > T_{\text{room}}$$

Critical pt.,  $T_c$  &  $P_c \rightarrow$  see App. A.10

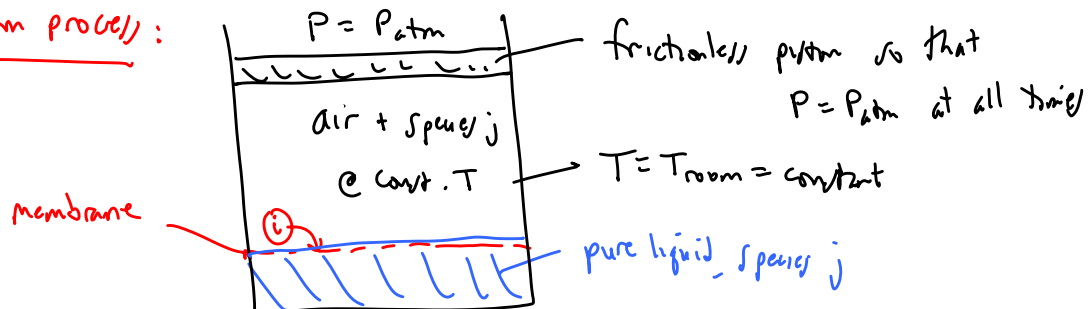
Recall the "steam dome" [we learned it for steam ( $H_2O$ ) in thermo class, but is similar for other chemicals]

$$P_c > P_{\text{room}}$$

$$T_c > T_{\text{room}}$$



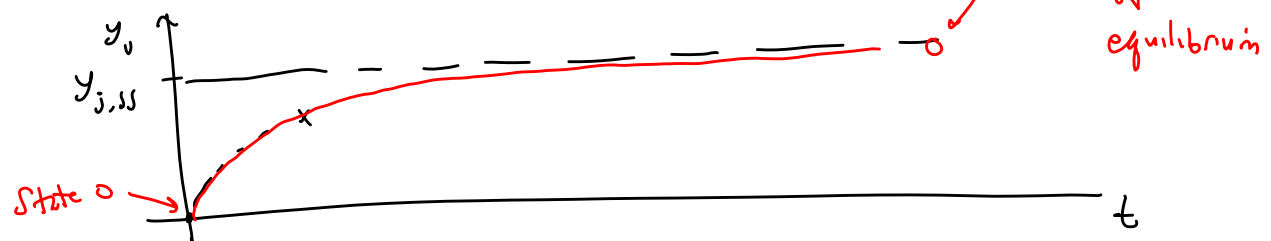
Evaporation process:



At  $t=0$ , remove a membrane at the interface so that evaporation starts

Assume an isothermal process

Plot  $y_i$  in the air vs.  $t$



$$y_{i,ss} = \frac{P_{v,i}}{P} \quad \leftarrow \text{THIS IS AN UPPER LIMIT (assuming we have enough liquid to begin with)}$$

If ALL the liquid does not evaporate

If there is not enough liquid to reach  $y_i \rightarrow y_{i,ss}$ ,

Then

$$y_{i,max} = \frac{n_i}{n_i + n_{air}} < \underline{\underline{y_{i,ss}}}$$

If ALL the liquid evaporates

On the T-x diagram, this process goes from right to left @ constant Temp

[see diagram above] ↑