

**Today, we will:**

- Continue our discussion of **Coriolis force** and **global wind patterns** on the earth
- Discuss **lapse rate** and how it affects **atmospheric stability**

**Example: Coriolis Force**

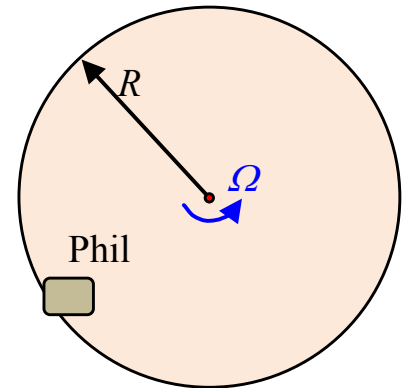
**Given:** A merry-go-round of radius  $R = 15$  m rotates at  $\Omega = 10$  rpm. Phil ( $m = 90$  kg) is riding the merry-go-round. He stands at the edge of the ride ( $r = R$ ) and holds on to a rail to keep from flying off.

**(a) To do:** Calculate the magnitude of the Coriolis acceleration in g's experienced by Phil [ $\text{"g"} = a_c/g$ , where  $g = 9.807$  m/s<sup>2</sup>].

**Solution:** The Coriolis force is  $\vec{F}_c = m\vec{a}_c - 2m(\vec{\Omega} \times \vec{U})$ .

**(b) To do:** Calculate the radial force Phil needs to exert on the rail to keep from flying off.

**Solution:**



**(c) To do:** If Phil throws a baseball horizontally at 67.11 mph (30 m/s), calculate the initial value of the magnitude of the Coriolis acceleration acting on the ball from Phil's perspective, in g's.

**Solution:** The Coriolis force is  $\vec{F}_c = m\vec{a}_c - 2m(\vec{\Omega} \times \vec{U})$ .